

# Algebra I Unit 1 Review

1)  $(4x - 8) + (x + 16)$

$$\begin{array}{r} 4x - 8 \\ + \quad x + 16 \\ \hline 5x + 8 \end{array} \quad -8 + 16 = 8$$

Choice B

2)  $(-2x^3 + x) + (3x - 6)$

$$\begin{array}{r} -2x^3 + x \\ + \quad \quad 3x - 6 \\ \hline -2x^3 + 4x - 6 \end{array} \quad x + 3x = 4x$$

Choice D

3)  $(x^2 - 10x) - (-5x^2 + x)$

$$\begin{array}{r} x^2 - 10x \\ + \quad +5x^2 + x \\ \hline \end{array}$$

Change subtraction to addition  
and change ALL signs in  
subtracted expression

$$\begin{array}{r} x^2 - 10x \\ + 5x^2 - x \\ \hline 6x^2 - 11x \end{array}$$

Choice D

4)  $(-x+2)(x+3)$  Multiply

	$-x$	$+2$
$x$	$-x^2$	$2x$
$+3$	$-3x$	$6$

$$2x+3x = -x$$

$$x^2 - x + 6$$

Choice A

5)  $(x^2+1)(-x^3-4x+2)$  Multiply

	$x^2$	$+1$
$-x^3$	$-x^5$	$-x^3$
$-4x$	$-4x^3$	$-4x$
$2$	$2x^2$	$2$

$$-x^3 + -4x^3 = -5x^3$$

$$-x^5 - 5x^3 + 2x^2 - 4x + 2$$

Choice B

6) Terms in  $36x^3 + 27x^2 - 18x - 9$

• Terms are separated

by + or -

4 terms

Choice C

7) Factors in  $11x^2 + 7x - 4$

• Multiply to get  
a product

11 and  $x^2$   
7 and  $x$

Choice A

8) "Cost of 4 tickets,  $t$ , service charge 10

$$4t + 10$$

Terms:  $4t$  and 10

co-efficient: 4

Constant: 10

Choice D

9) Evaluate  $-3\sqrt{20} - \sqrt{5}$

$$\sqrt{20}$$

$$\sqrt{4 \cdot 5}$$

$$2\sqrt{5}$$

$$\text{Radical is } -3(2\sqrt{5}) - \sqrt{5}$$

$$-6\sqrt{5} - \sqrt{5}$$

same so we  
can combine

$$-7\sqrt{5}$$

Choice B

10) Product of  $\sqrt{9}(\sqrt{3} + \sqrt{8})$

• Multiply underneath radical

$$\begin{array}{l} \sqrt{27} \\ \sqrt{9 \cdot 3} \\ 3\sqrt{3} \end{array} \quad \begin{array}{l} \sqrt{9 \cdot 3} + \sqrt{9 \cdot 8} \\ \sqrt{27} + \sqrt{72} \\ 3\sqrt{3} + 6\sqrt{2} \\ \text{Choice D} \end{array} \quad \begin{array}{l} \sqrt{72} \\ \sqrt{36 \cdot 2} \\ 6\sqrt{2} \\ \text{Can't add because} \\ \text{under radical is} \\ \text{different} \end{array}$$

11) Multiply  $5\sqrt{8} \cdot 7\sqrt{3}$  • Multiply outside & underneath

$$\begin{array}{l} 5 \cdot 7 \cdot \sqrt{8} \cdot \sqrt{3} \\ 35 \sqrt{24} \\ 35 \cdot 2\sqrt{6} \\ 70\sqrt{6} \end{array} \quad \begin{array}{l} \sqrt{24} \\ \sqrt{4} \cdot \sqrt{6} \\ 2\sqrt{6} \end{array}$$

Choice B

12)  $\sqrt{173}$  Area is 173 of Square Garden

• To find side length of square take square root of Area

173 is between perfect squares

169 and 196 Closer to 169

$$\sqrt{169} \quad \sqrt{196}$$

13 and 14

Choice D

13) Perimeter of triangle with sides  
 $15, 8\sqrt{7}, \sqrt{112}$

- Perimeter tells to add
- to add, radicals must match
- try to simplify  $\sqrt{112}$  to  $\_\_\sqrt{\_}$

$$112 \div 7 = 16$$

$$\begin{array}{l} \sqrt{112} \\ \sqrt{16} \cdot \sqrt{7} \\ 4\sqrt{7} \end{array}$$

$$15 + 8\sqrt{7} + 4\sqrt{7}$$

$$8 + 4 = 12$$

$$15 + 12\sqrt{7}$$

Choice B

14) Irrational number

A)  $49 \rightarrow$  Rational

B)  $\sqrt{24} \rightarrow 2\sqrt{6} \rightarrow$  Irrational

C)  $\sqrt{169} \rightarrow 13 \rightarrow$  Rational

D)  $2.5 \rightarrow 2\frac{1}{2} \rightarrow$  Rational

Choice B

- 15) Natural #'s  $\rightarrow 1, 2, 3, 4, \dots$  Positive not 0  
Whole #'s  $\rightarrow 0, 1, 2, 3, 4, \dots$  Positive and 0  
Rational #  $\rightarrow$  Entire group of others make rational  
Integer #  $\rightarrow \dots, -3, -2, -1, 0, 1, 2, 3, \dots$  Negative, 0, positive

If it is Natural, whole and Integer it will be a Rational #

- A) -13 Integer, not whole or natural  
B) -9.5 Integer not whole  
C) 57  
D)  $\sqrt{36}$  -6 or +6

Choice D

16) Rational + Rational = Rational

Because rationals can be written as fraction with whole #'s in numerator and denominator, if you add by finding common denominator you will still have a whole number denominator and whole # numerator

17) Irrational  $\cdot$  Rational = Irrational

Because Irrational doesn't terminate or repeat then a product with a terminating or repeating will not ~~not~~ cause the irrational to terminate or repeat

18) 459L to milliliters



459L  $\longrightarrow$  Multiply by 10 each

Step you move down in Metric

Deci Centi Milli

$$459 \times 10 \times 10 \times 10 = 459000$$

19) \$25 to dimes      10 dimes = \$1

$$25 \cancel{\$} \cdot \frac{10 \text{ (Dimes)}}{1 \cancel{\$}} = 25 \cdot 10 = 250 \text{ dimes}$$

20) 10 weeks into minutes

$$60 \text{ min} = 1 \text{ hr.}$$

$$24 \text{ hr} = 1 \text{ day}$$

$$7 \text{ days} = 1 \text{ week}$$

$$10 \text{ weeks} \cdot \frac{7 \text{ days}}{1 \text{ week}} \cdot \frac{24 \text{ hrs.}}{1 \text{ days}} \cdot \frac{60 \text{ (min)}}{1 \text{ hr.}} = 100800$$